



**NOAA**  
**FISHERIES**  
SEFSC

# The dids, dos, don'ts and developments of data-limited catch limits

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**And**

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**QUEST**  
**Quantitative Ecology and Socioeconomics**  
**Training Program**

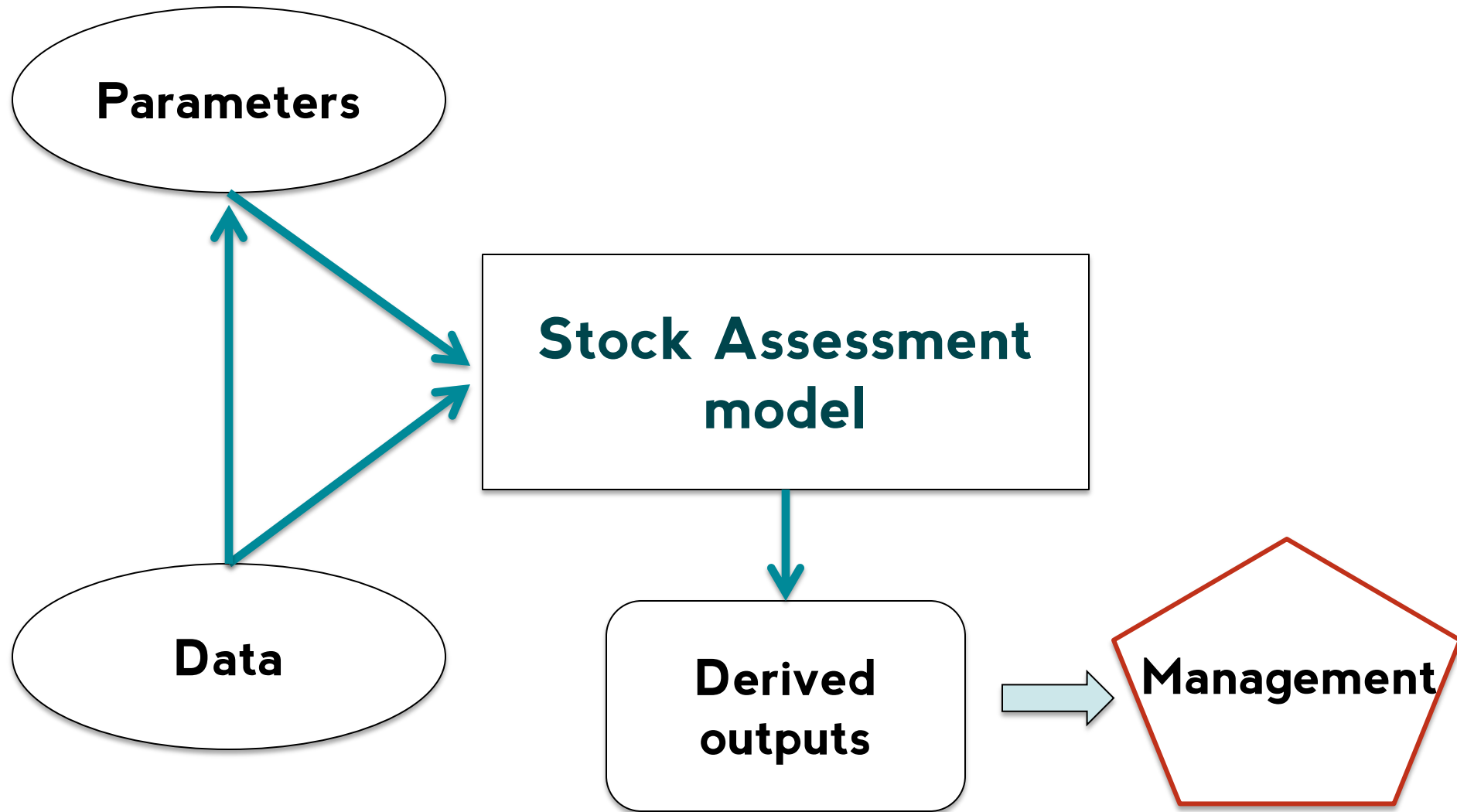
# Outline

- **Background**
- **Definitions: What is data-limited?**
- **Innovations of data-limited methods**
- **Post-innovation stages**
- **Summarize the dids, dos, don'ts and developments**

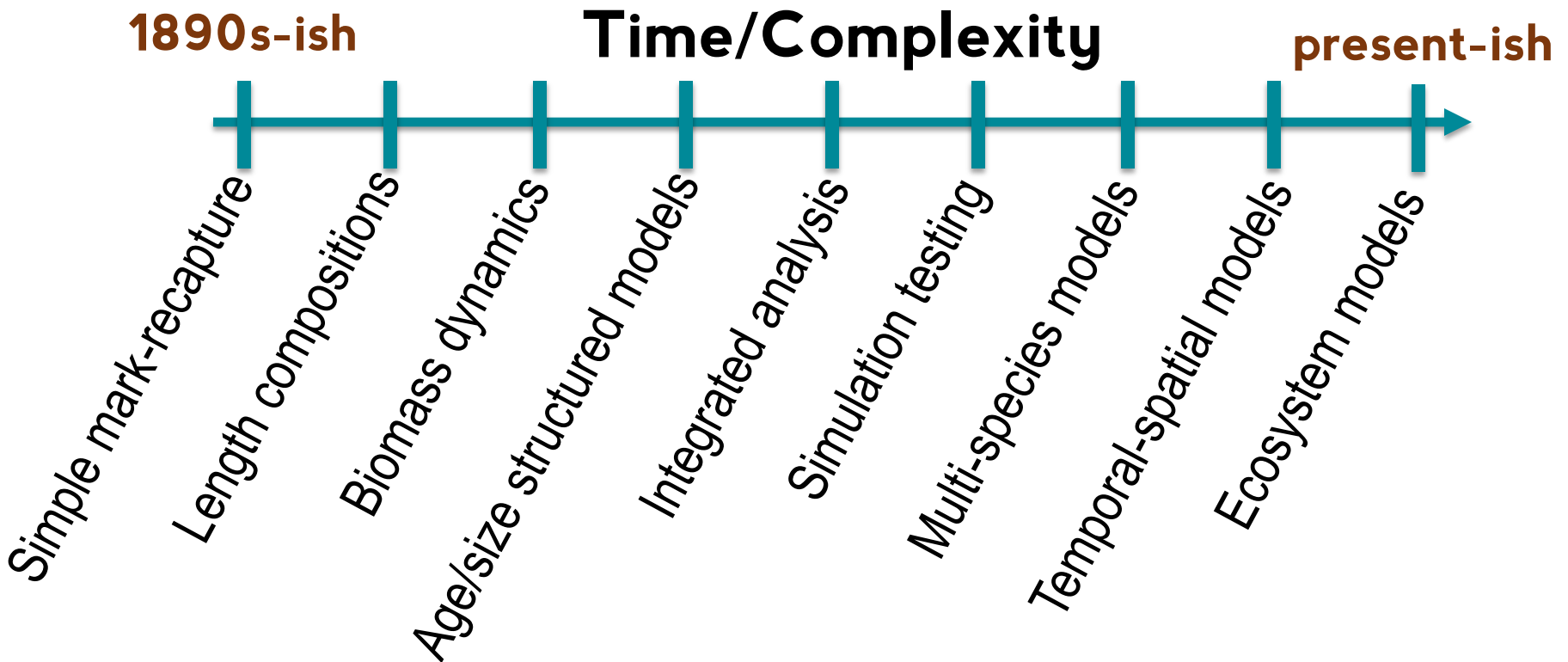
# Background



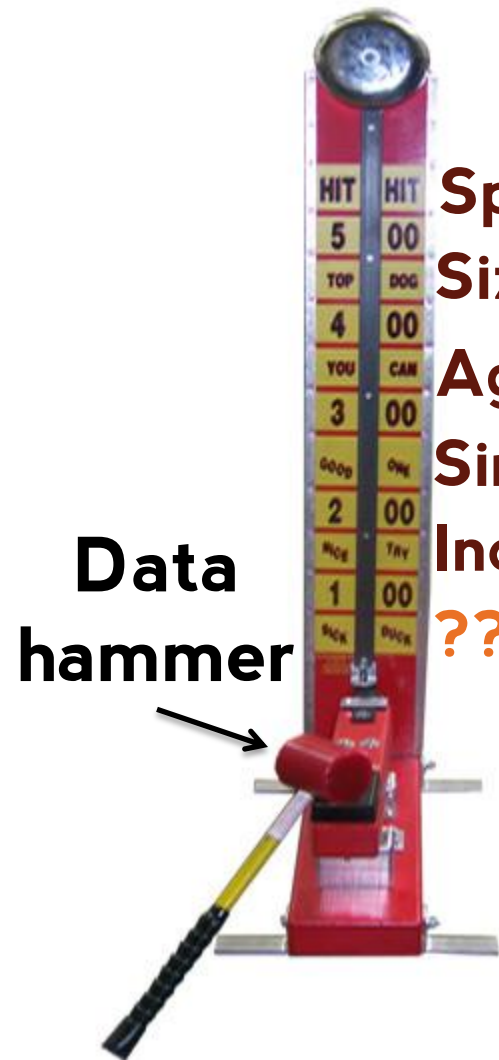
# Applied stock assessment



# Assessing fisheries stocks through time



# Assessing stocks through time



Space/Seasons/Ecosystem included

Size/age/stage-structured models

Aggregated production models

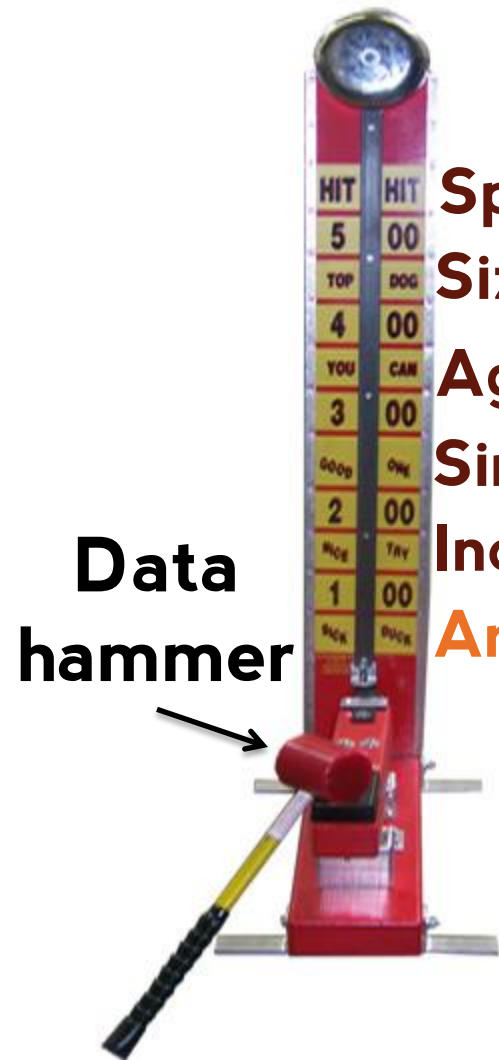
Simple life history equilibrium models

Index only

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**U.S. National Assessment Levels  
(SAIP 2001)**

# Assessing stocks through time



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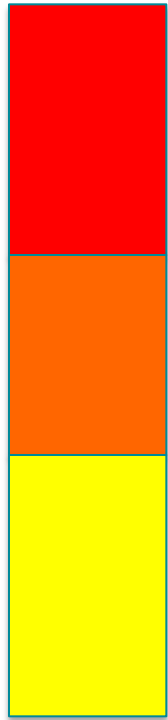
Simple life history equilibrium models

Index only

Are these stocks “sick ducks”?

## U.S. National Assessment Levels (SAIP 2001)

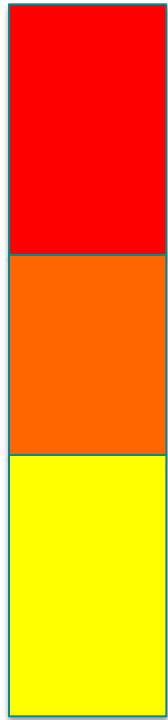
# 2007: Magnuson-Stevens Reauthorization



**Overfishing Limit**

**Maximum amount that  
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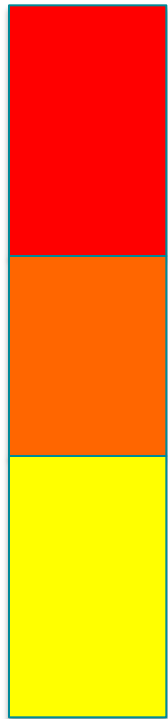
**Acceptable Biological Catch**

**Incorporates scientific uncertainty.**

**Determined by  
scientists on regional technical committees.**



# 2007: Magnuson-Stevens Reauthorization



**Overfishing Limit**

**Acceptable Biological Catch**

**Annual Catch Limit**

**Maximum amount that can be caught in a year without resulting in overfishing.**

**Incorporates scientific uncertainty. Determined by scientists on regional technical committees.**

**The amount that can be caught in a given year, set by policymakers.**

**Can't exceed the ABC.**



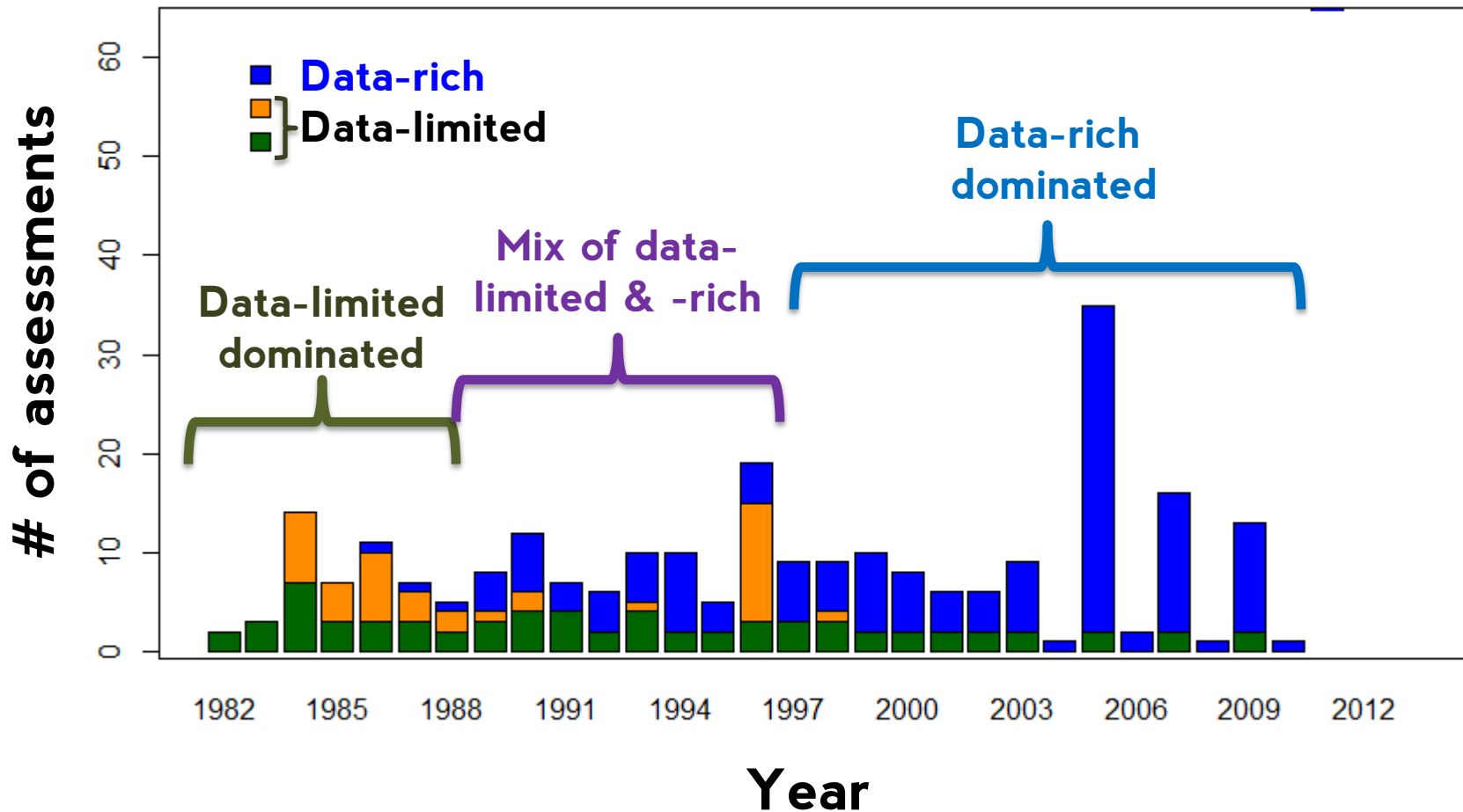
# 2007: Magnuson-Stevens Reauthorization

## All stocks needed annual catch limits (ACLs)

- Few exceptions
- ACLs required for stocks subject to overfishing by 2010.
- For stocks “in the fishery” by 2011.

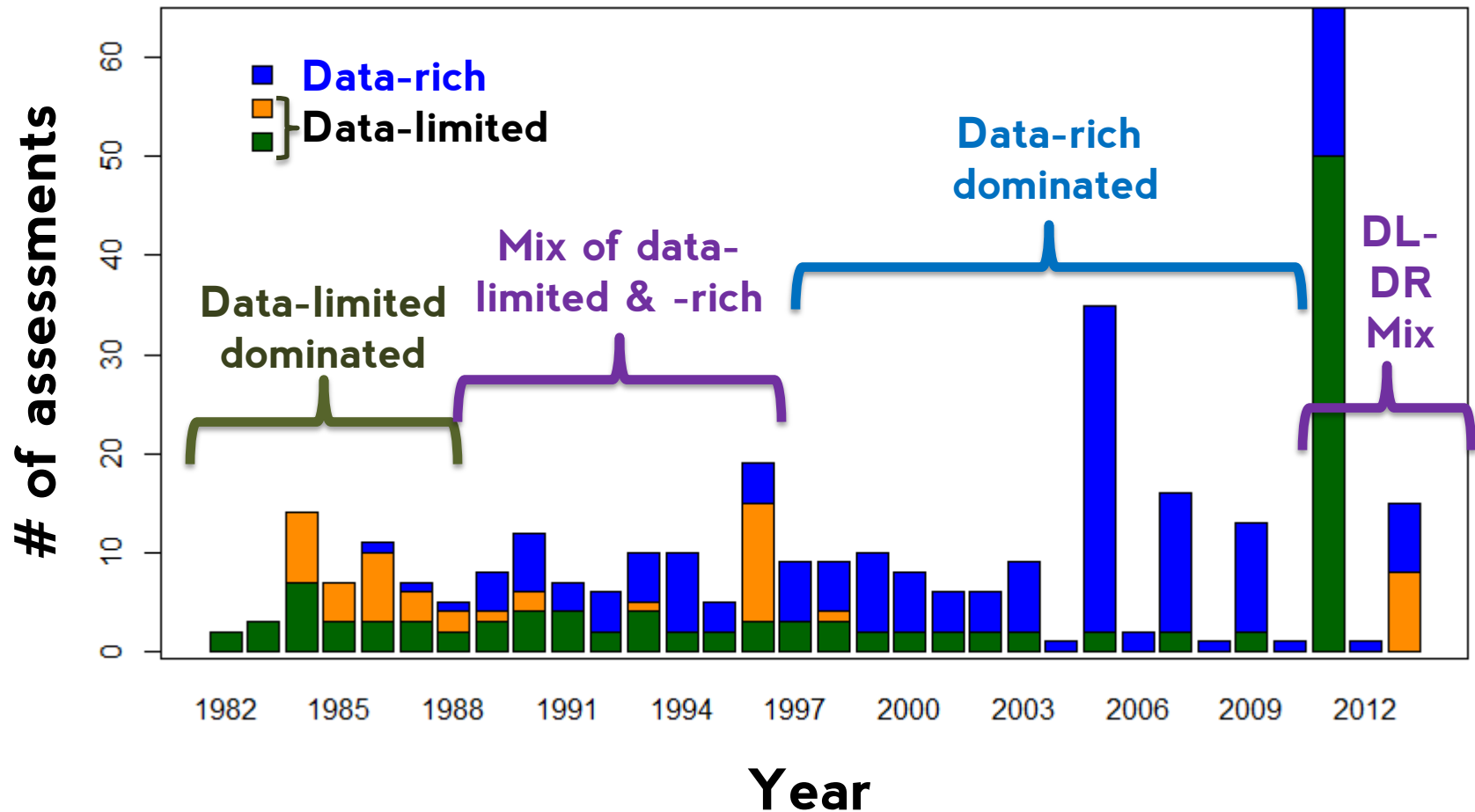
# Stock assessments through time

## Example: PFMC Groundfish FMP



# Stock assessments through time

## Example: PFMC Groundfish FMP

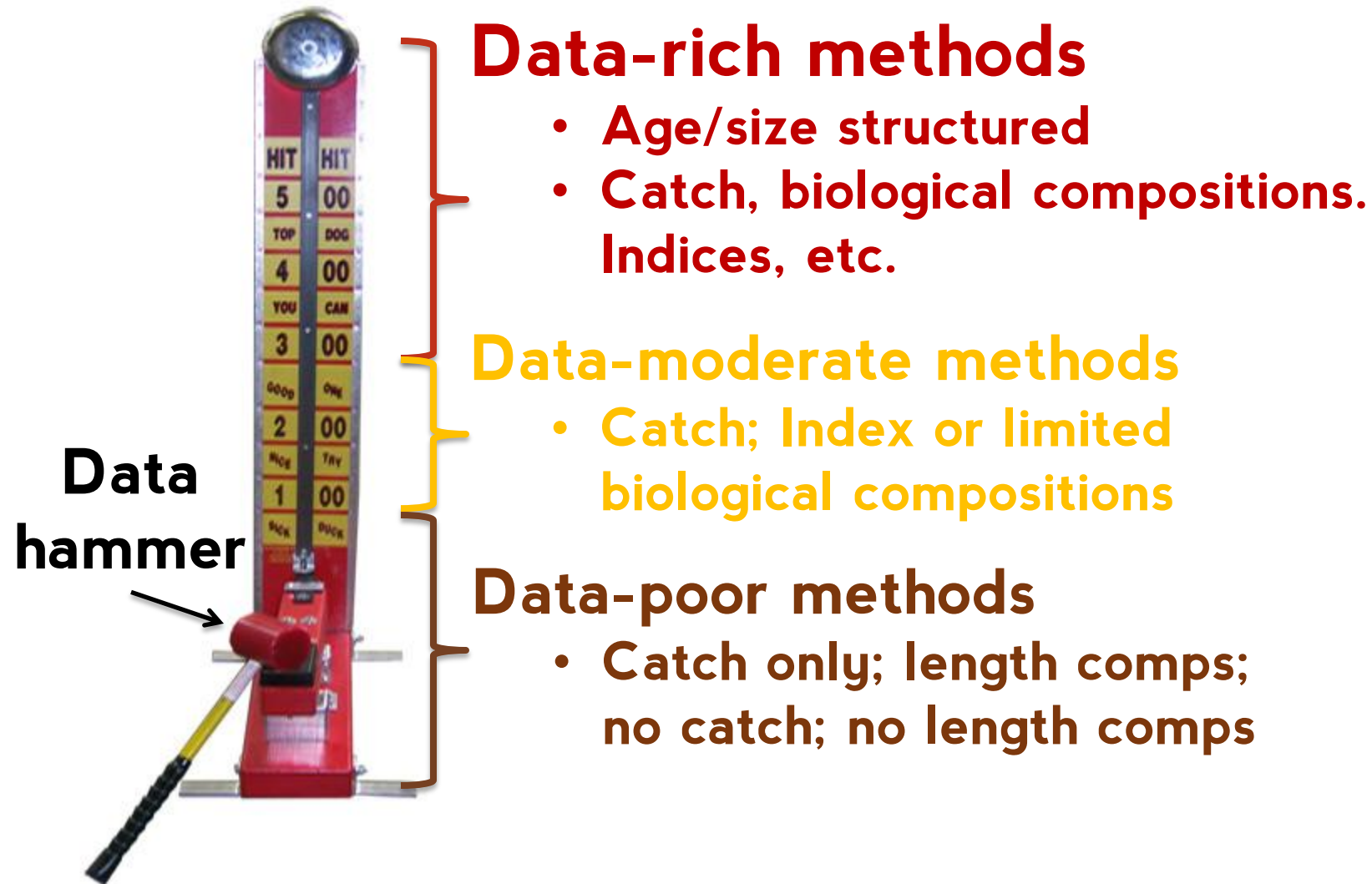


- **Why weren't these stocks previously assessed?**
  - **Not valuable in a socioeconomic, human-centric way.**
  - **No data or little data**
    - **Not target of fisheries or surveys**
    - **Not enough catch**
  - **Not enough resources**
    - **Stock assessment scientists**
    - **Not enough time and money**
  - **Ecological value slowly being incorporated**

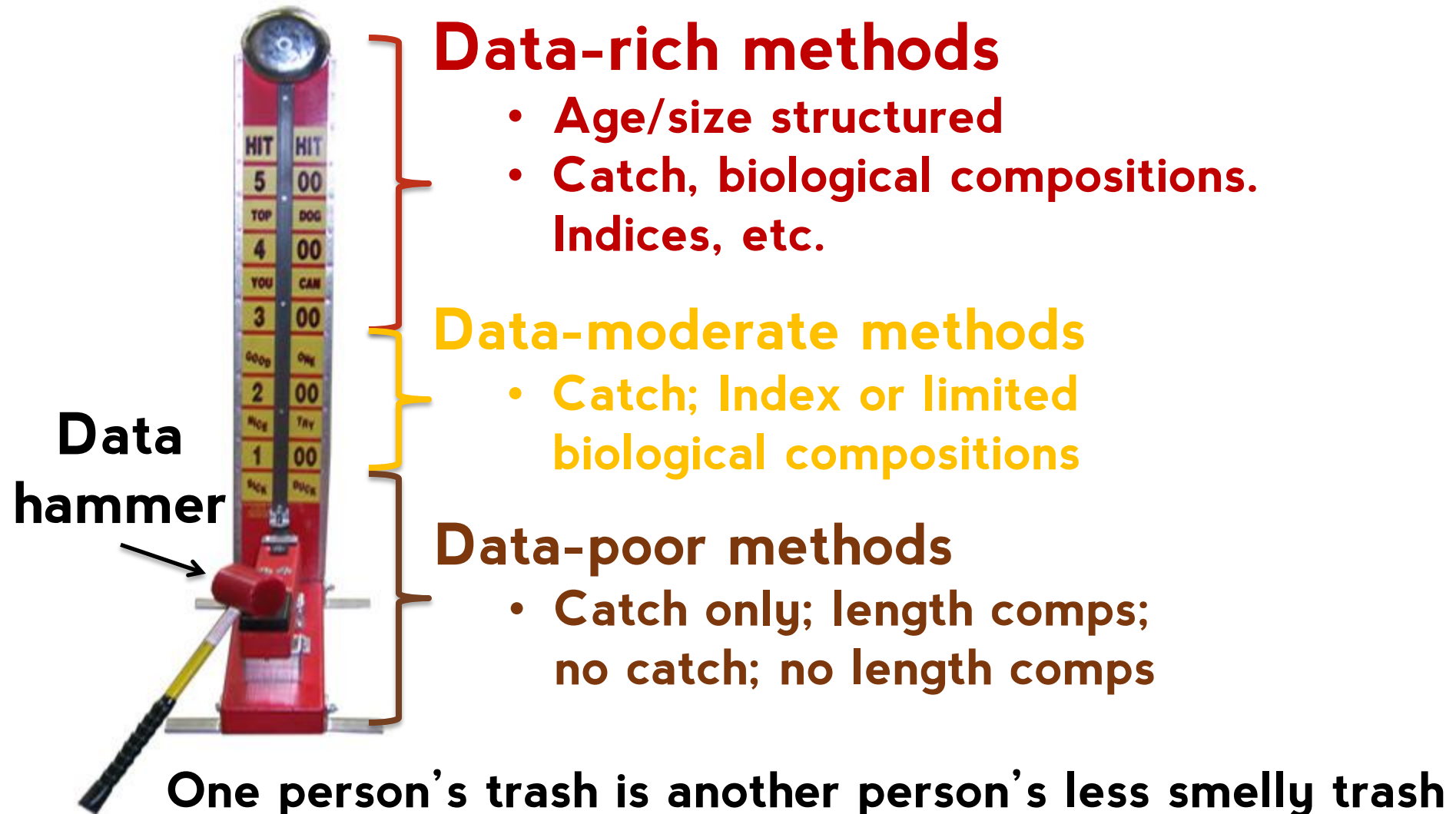
# Definitions: What is “data-limited”?



# Defining assessment approaches



# Defining assessment approaches



# Fisheries in space: A Bayesian assessment of a commercially exploited fish stock on the Jupiter moon Europa.

Orvin Rye, Sean Cope, Dong Kinsey, Treva A'neer and Melissa Hirsch

Marine Population Assessment & Management Group  
School of Aquatic and Fishery Sciences  
University of Washington

## SUMMARY

The use of Bayesian statistical methods in quantitative fisheries stock assessment have become increasingly common in recent years. Such methods can provide a statistically rigorous means for including and accounting for uncertainty in the estimation of the status and size of fish populations (Punt & Hilborn, 1997). Recent findings indicating the presence of substantial and ongoing under the surface ice of Europa, one of the moons of the giant Jupiter, has led many scientists to suggest the possibility the extra-terrestrial aquatic life may exist. Given the biological knowledge and status of such aquatic populations is very low, it will be difficult for resource managers to assess the impact of fishing activities directed at the harvesting of these populations.

Using a Bayesian estimation approach to accommodate the significant uncertainties associated with extra-terrestrial fish populations, the impact of a small fishery on the population dynamics of a European fish stock are investigated. Informative prior distributions for key biological parameters are developed by integrating knowledge from Earthly fish populations with information on European year length; these are used to determine a posterior distribution for the maximum sustainable exploitation rate of this alien fish stock. Given a constant fishing mortality control rule, the length of exploitation resulting in overfishing of the stock is also assessed.

Keywords: Space, Fisheries Stock Assessment, Uncertainty, Data-Absent.

## METHODS

A Bayesian estimation procedure was applied to the available data on the European fish stock, to obtain posterior probability distributions for the Maximum Sustainable Fishing Mortality rate  $F_{MSY}$ , defined as:

$$F_{MSY} = \frac{MSY}{B_{MSY}} \quad (1)$$

where  $MSY$  is the maximum sustainable yield, and  $B_{MSY}$  is the biomass at  $MSY$ .

For the Bayesian estimation procedure:

$$MSY = \frac{rK}{4} \quad \& \quad B_{MSY} = \frac{K}{2} \quad (2)$$

where:

$$F_{MSY} = \frac{r}{2} \quad (3)$$

Where  $r$  is the intrinsic rate of population growth, and  $K$  is the carrying capacity.

Bayesian methods require the probability distributions to be placed on all the parameters of the model (Gelman et al., 1997). Using the intrinsic rate of population growth,  $r$ , as the maximum reproductive rate,  $r$ , as age of maturity,  $a$ , and the initial survival rate,  $p_0$ . Given these parameters, the value for  $r$  can be estimated by fitting Equation 1 to the data.

$$(r^t)^t - p_0(r^t)^{t-1} - a = 0 \quad (4)$$

A distribution for  $r$  was estimated using equation (4) by selecting appropriate values for the three demographic parameters. The probability distributions for the parameters were estimated by integrating information from Earthly fish stocks.

Parameter selection

Myers et al. (1999) show that the maximum reproductive rate,  $r$ , for 141 fish species of marine resources per species per year is uniformly distributed among Earthly fish species, with values ranging from between 1 and 7. The distribution of these rates is approximately uniform by log-probability change.

$$1 \text{ European year} = 1220.24 \text{ European days} \quad (5)$$

$$\text{However, } 1 \text{ Earth year} = 365.25 \text{ Earth days} \quad (6)$$

$$\text{European fish have } \frac{1220.24}{365.25} = 3.34 \quad (7)$$

Thus the number of days of growing time available to them during a year compared to Earthly fish populations.

So, for highly reproductive European fish:

$$a = 334^{*}7 = 2339 \quad (8)$$

Therefore, the prior probability distribution used for the maximum reproductive rate of European fish stock is:

$$a \sim \text{Uniform}(0, 2339) \quad (9)$$

Age at maturity for commercially exploited earth fish species varies widely, from about 1 to 2 years (Colfah et al., 1969) to about 50 years for some species of fish (Stearns & Koella, 1986). Therefore, we used a broadly prior for age at maturity (European fish).

$$a_{max} = 55 \text{ Earth years} = 334.34 \times 168 \text{ European years} \quad (10)$$

Therefore:

$$a \sim \text{Uniform}(0, 1) \quad (11)$$

Assess survival rate of alien European fish are unknown. Earthly species exhibit wide-ranging values for this parameter which are dependent on a large number of factors. However, the intrinsic rate of population growth is widely varying prior distributions encompass all possible values.

$$p_0 \sim \text{Uniform}(0, 1) \quad (12)$$

Parameter selection

Bayesian theorem states:

$$P(\theta) \propto \frac{L(\theta) \cdot P(\theta)}{\int L(\theta) \cdot P(\theta) \cdot d\theta} \quad (13)$$

where  $L(\theta)$  is the likelihood of the parameter  $\theta$  given the data,  $P(\theta)$  is the prior probability of the parameter  $\theta$ , and  $P(\theta)$  is the posterior probability of the parameter  $\theta$ .

The R2R (reversible-jump MCMC) algorithm (Gelman et al., 1995; Punt & Hilborn, 1997) was used to numerically approximate the posterior distribution of  $r$ . By drawing a large number (10,000) of values of parameter values from the prior, extending the likelihood of the available data given each parameter vector, and then resampling with replacement ( $n=1000$ ) from these parameter values, the probability proportional to likelihood, and equal to the importance weight for the vector.

Given the current data for European fish stock,

$$L(\theta) \propto \frac{1}{N} \sum_{i=1}^N \log p_i(\theta) \quad (14)$$

Therefore, the importance weight  $w_i$  for a given parameter vector  $\theta_i$  is defined to be:

$$w_i = \frac{1}{N} \sum_{j=1}^N \log p_j(\theta_i) \quad (15)$$

Evaluation of the over-fishing

US fishery resources are depleted to the point where if the stock is assessed to be below 25% of its pre-exploitation biomass (NMFS, 2002). Given the distribution for the intrinsic rate of population growth described above, a constant fishing mortality rate control rule was selected. A form of the probability distribution of the time required to deplete European fish stock to 25% of the carrying capacity.

The population dynamics of the European fish stock were modeled using the discrete form of the Schaefer model:

$$\left(\frac{N}{K}\right)_{t+1} = \left(\frac{N}{K}\right)_t \left(1 + r - \left(1 - \left(\frac{N}{K}\right)_t\right)F\right) \quad (16)$$

where  $\left(\frac{N}{K}\right)_t$  is the population depletion with respect to carrying capacity at time  $t$ , and  $F$  is the exploitation rate.

Assuming no previous alien exploitation of the resource,

$$\left(\frac{N}{K}\right)_0 = 1 \quad (17)$$

Values for the intrinsic rate of population growth  $r$  were sampled from the distribution estimated previously using equation (14). Values for the exploitation rate  $F$  were sampled according to the distribution:

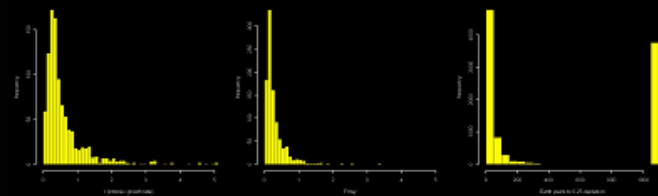
$$F \sim \text{Uniform}(0, 1) \quad (18)$$

Given these values for  $r$  and  $F$ , the model is equation (16) was run until the depletion was less than 0.25, and the time  $t$  taken to reach this depletion level recorded.

## DISCUSSION OF RESULTS

Plots (a) and (b) of Figure 1 show the posterior distributions for the intrinsic rate of population growth  $r$  and  $F$ . The median value for  $r$  was 3.337 with the 95% probability interval ranging from 0.000 to 4.74. While the majority of the posterior probability density for  $F$  extends value comparable to those for exploited Earthly species, there exists a small probability for the intrinsic growth rate of the European fish population is very high. Similarly the median for  $F$  was 0.19. However, this is the exploitation rate over a European year, meaning that the required exploitation rate per Earth year would be much lower.

Panel (c) of Figure 1 shows the distribution of time (in Earth years) to the depletion of the resource to 25% of its carrying capacity, given a constant exploitation rate. The median time to this level of depletion was 1.000 European years or 334 Earth years. Given the uncertainty associated with the estimation of  $r$ , there exists a small probability that the time to reach this level of depletion is much longer. However, the time to reach this level of depletion is much longer than the time to reach this level of depletion for Earthly fish.



Posterior distribution for (a) intrinsic rate of growth ( $r$ ), (b) maximum sustainable exploitation rate ( $F$ ), and (c) time to depletion to 25% of current biomass (time on the right histogram is much longer not displayed to 0.25 in 1000 Earth years).

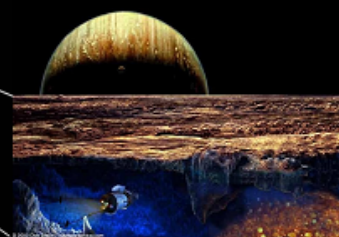
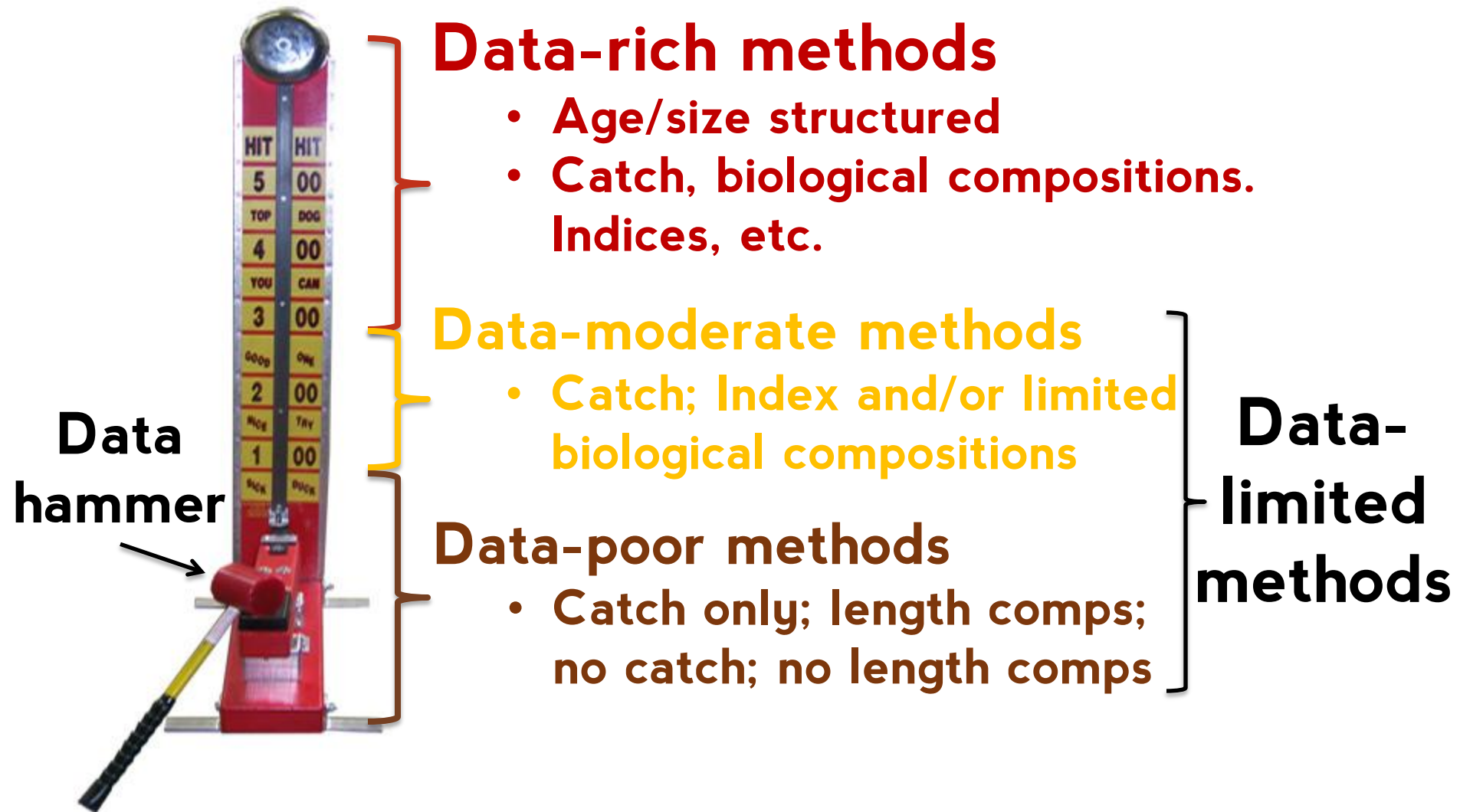


Illustration of a fisherman in a small boat fishing in the icy waters of Europa, with the moon visible in the background.

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# Defining assessment approaches



# More Definitions: Stock complex



- **A species grouping for management purposes**
  - May or may not be based on ecological or fisheries interactions
- **Managed as a conglomerate “stock”**
- **Stock complex catch levels calculated**
  - Over all stocks combined
  - Additive over individual stocks

# Nationally: 504 catch limits

Method	Number of catch limits based on method	Percentage of catch limits based on method
Data-rich	150	30%
Data-moderate	59	11%
Data-poor	295	59%

from Newman, Berkson, and Suatoni. 2014. Fisheries Research. *In Press*.

# Method distribution varies greatly by region

	NEFMC	MAFMC	SAFMC	GMFMC	CFMC	HMS	PFMC	NPFC	WPFC
Data-Rich	28	8	14	9	0	3	46	38	4
Data-Mod	1	1	0	0	0	0	8	48	1
Data-poor	2	1	47	25	23	37	106	13	41

from Newman, Berkson, and Suatoni. 2014. Fisheries Research. *In Press*.

# Innovations of data-limited methods



# Started with:

## Data-poor control rule

- Restrepo et al. (1998)

## Windfall ratios

- Alverson and Pereyra (1969)
- Gulland (1970)

## Stock reduction analysis

- Kimura and Tagart (1982)
- Walters et al. (2006)

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## Turned into:

### Scalar approaches

- Berkson et al. (2011)

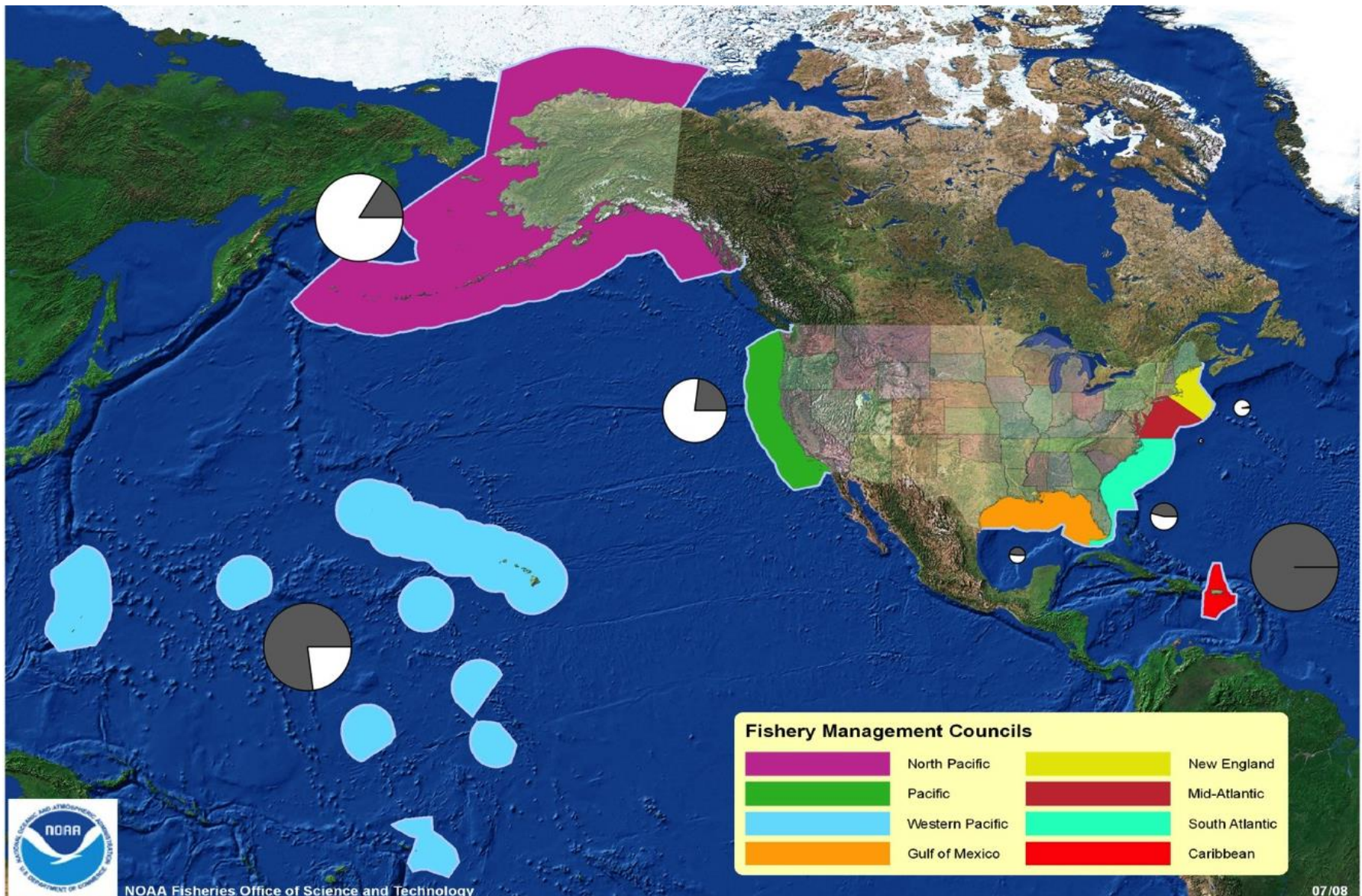
### DCAC

- MacCall (2009)

### DB-SRA

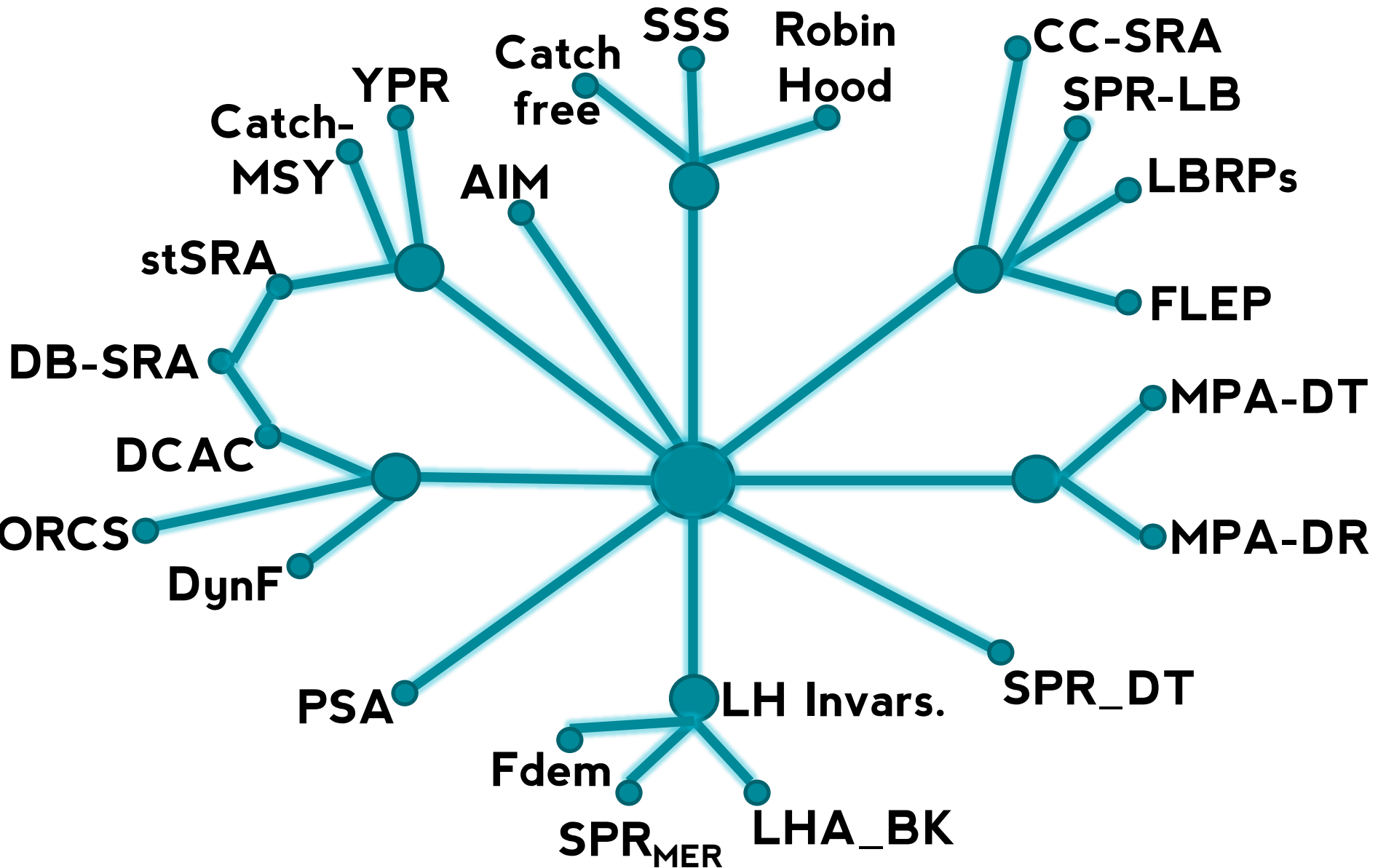
- Dick and MacCall (2011)



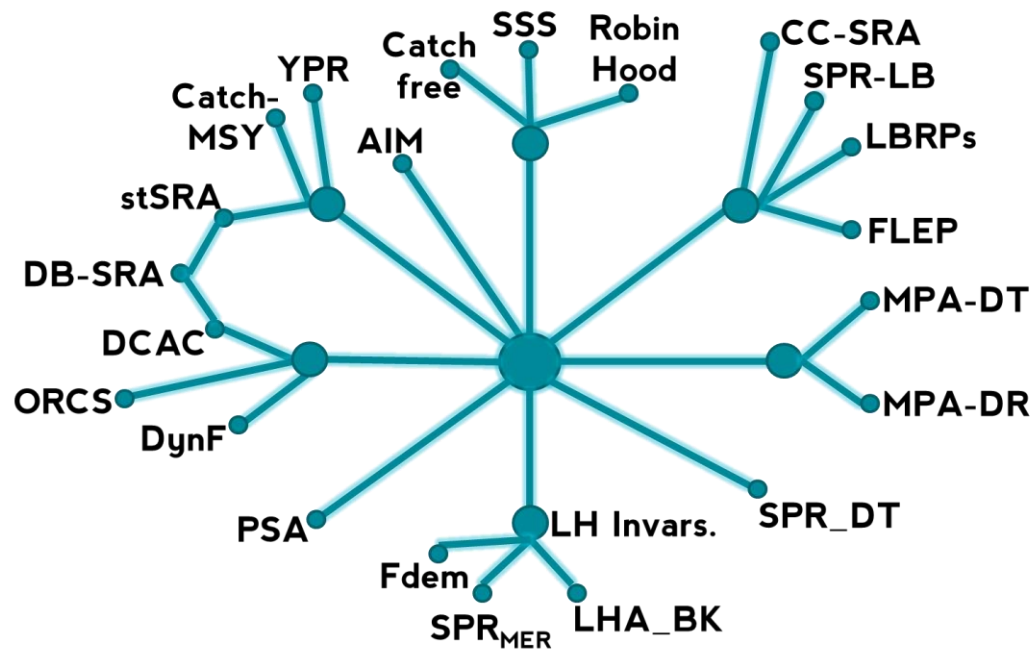


from Berkson and Thorson. 2014. ICES Journal of Marine Science

# Innovation of data-limited approaches



# Grouping data-limited approaches



- **Input/Data types**
- **Static vs dynamic**
- **Baseline vs non-baseline**
- **F vs catch**  
(management units)

Organizing may help the how and why methods are used (see “Implementation”)



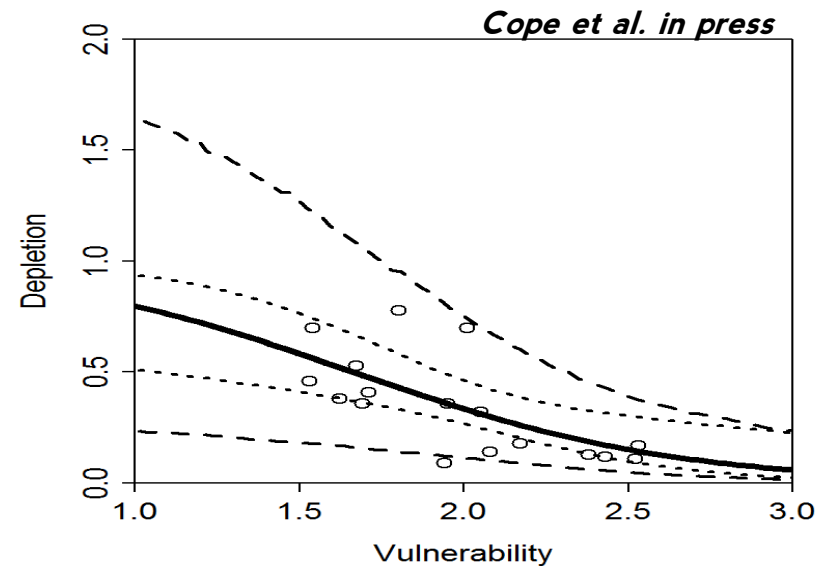
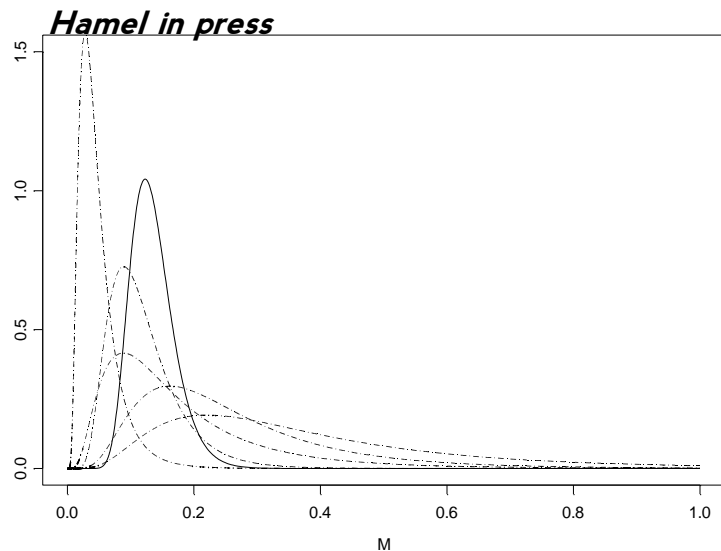
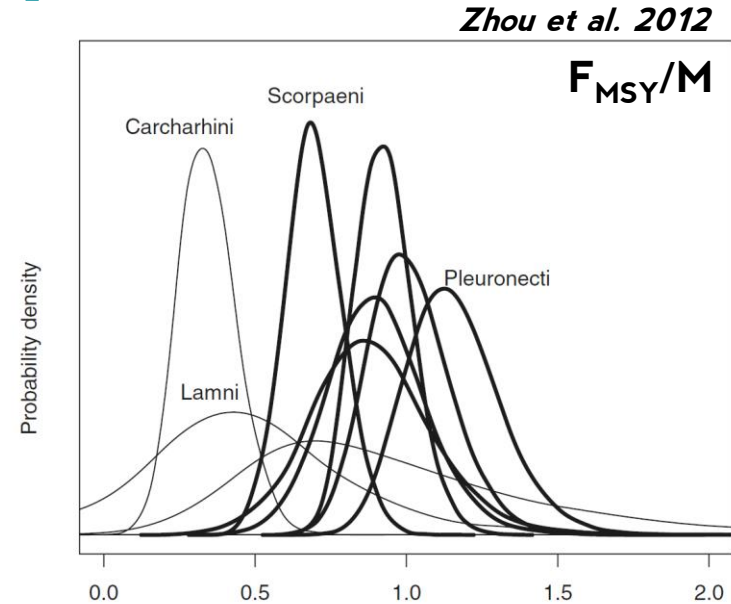
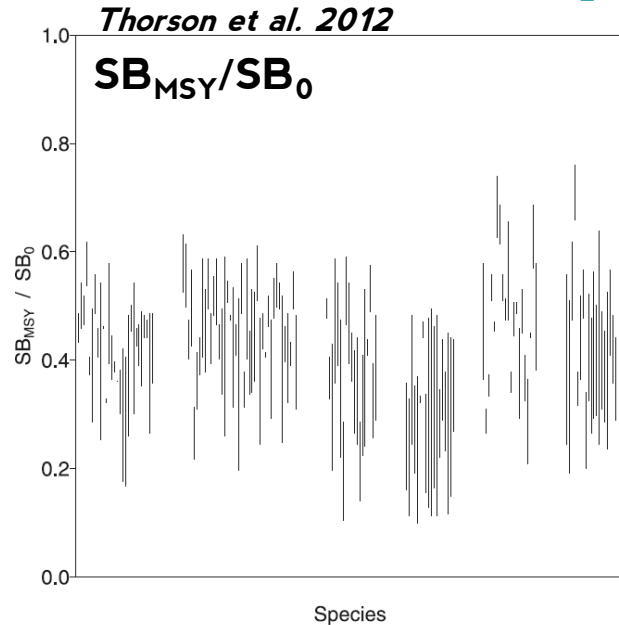
# Post-innovation stages



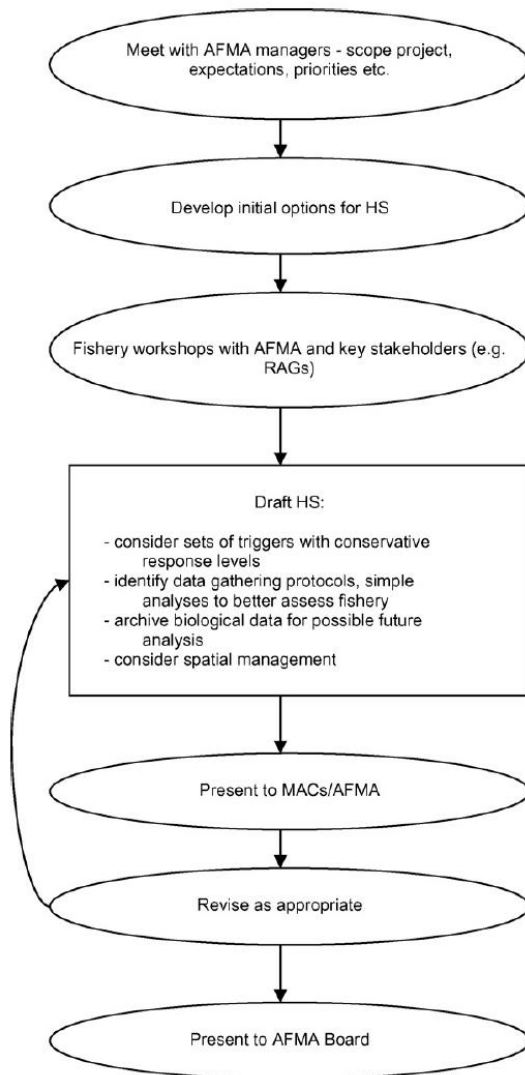
# During/after innovation, there is:

- **Improvement**
  - Input parameters
  - Harvest control rules (including uncertainty estimation)
- **Evaluation**
  - Simulation testing
  - Management Strategy Evaluation
- **Implementation**
  - Toolboxes
  - Application planning
- **Standardization**

# Improvements: inputs parameters



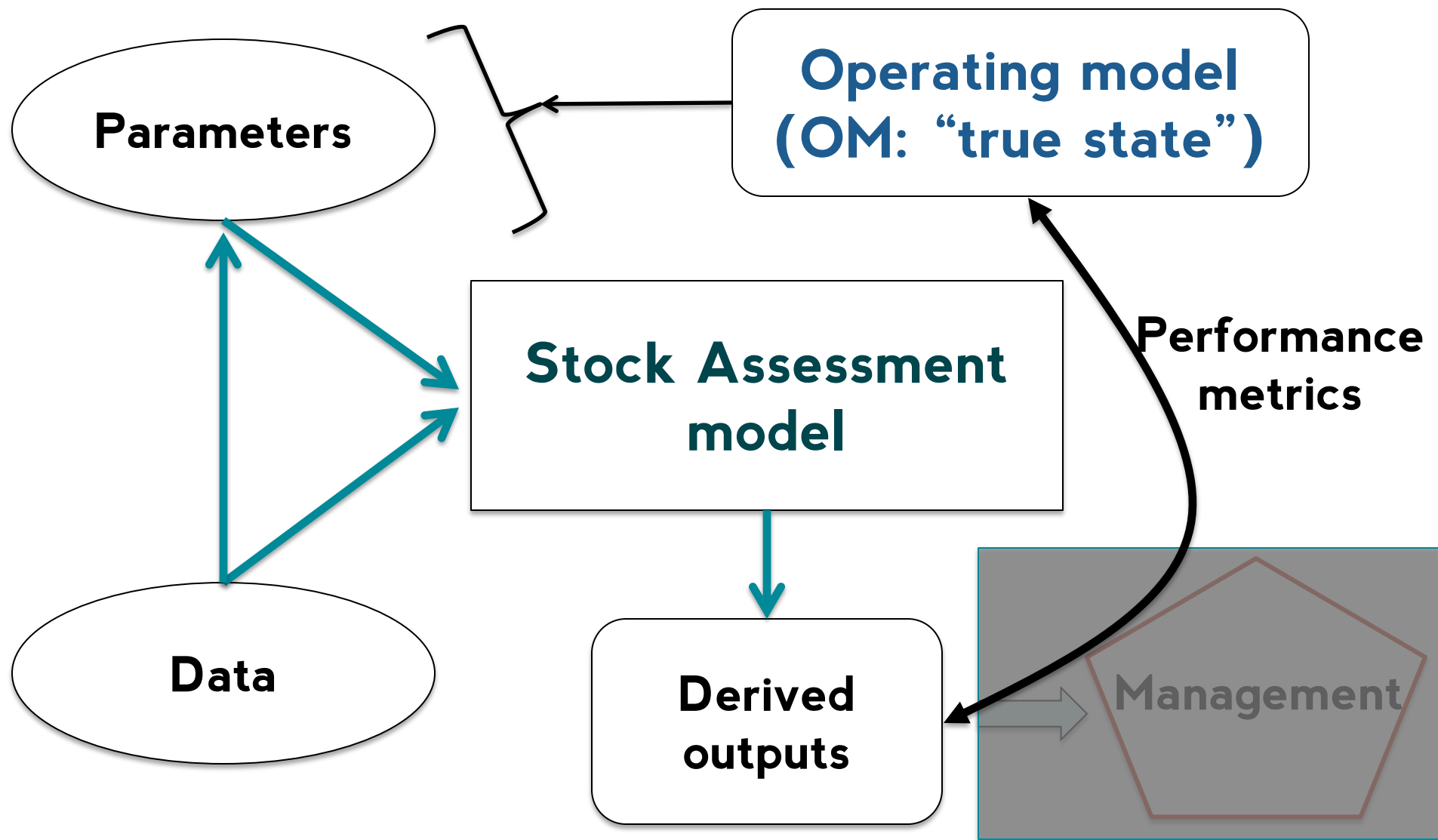
# Improvements: Harvest control rules (HCRs)



Dowling et al. 2008

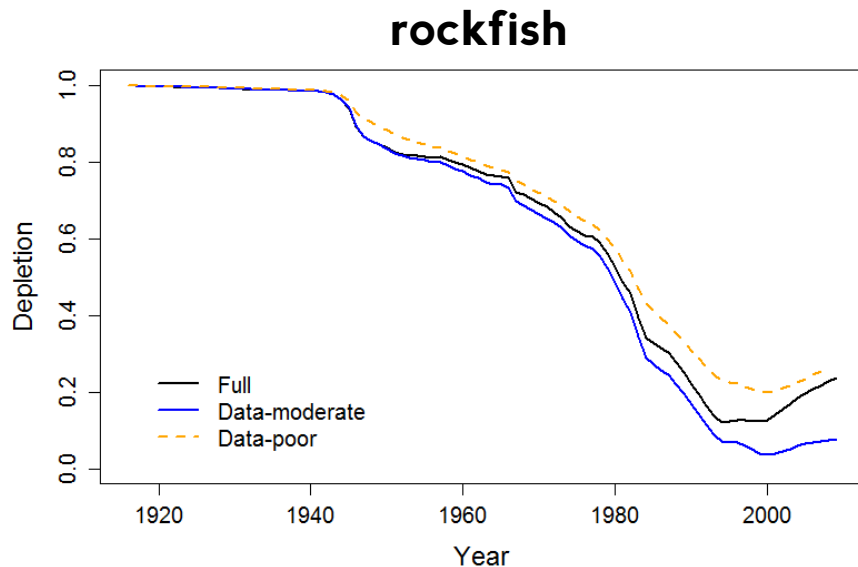
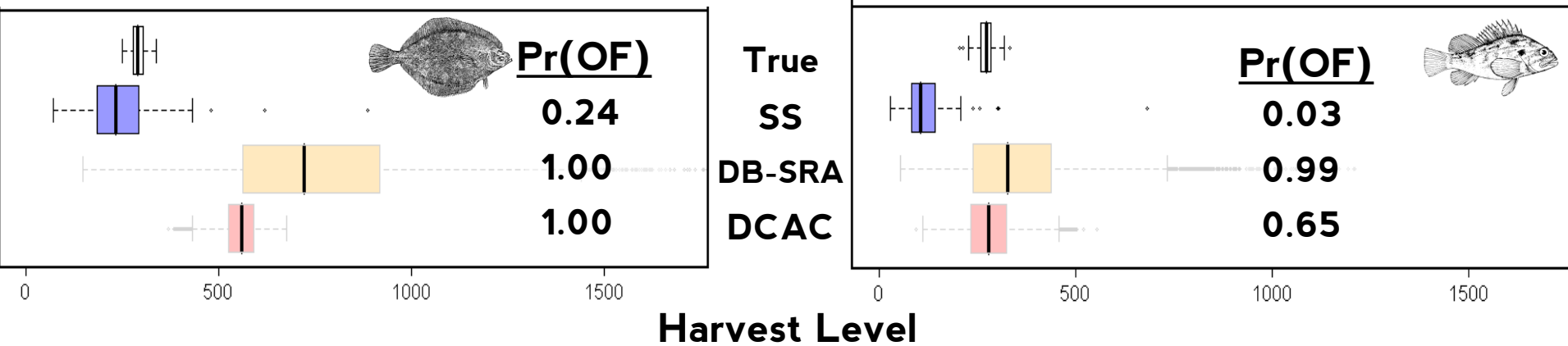
- **Decision rule that modifies catch**
- **Uses references points**
- **Incorporates uncertainty**
- **Oft needed connection between D-L method and management**
- **May improve poorly performing D-L method**

# Evaluation: Simulation testing



# Testing methods: Comparison tests

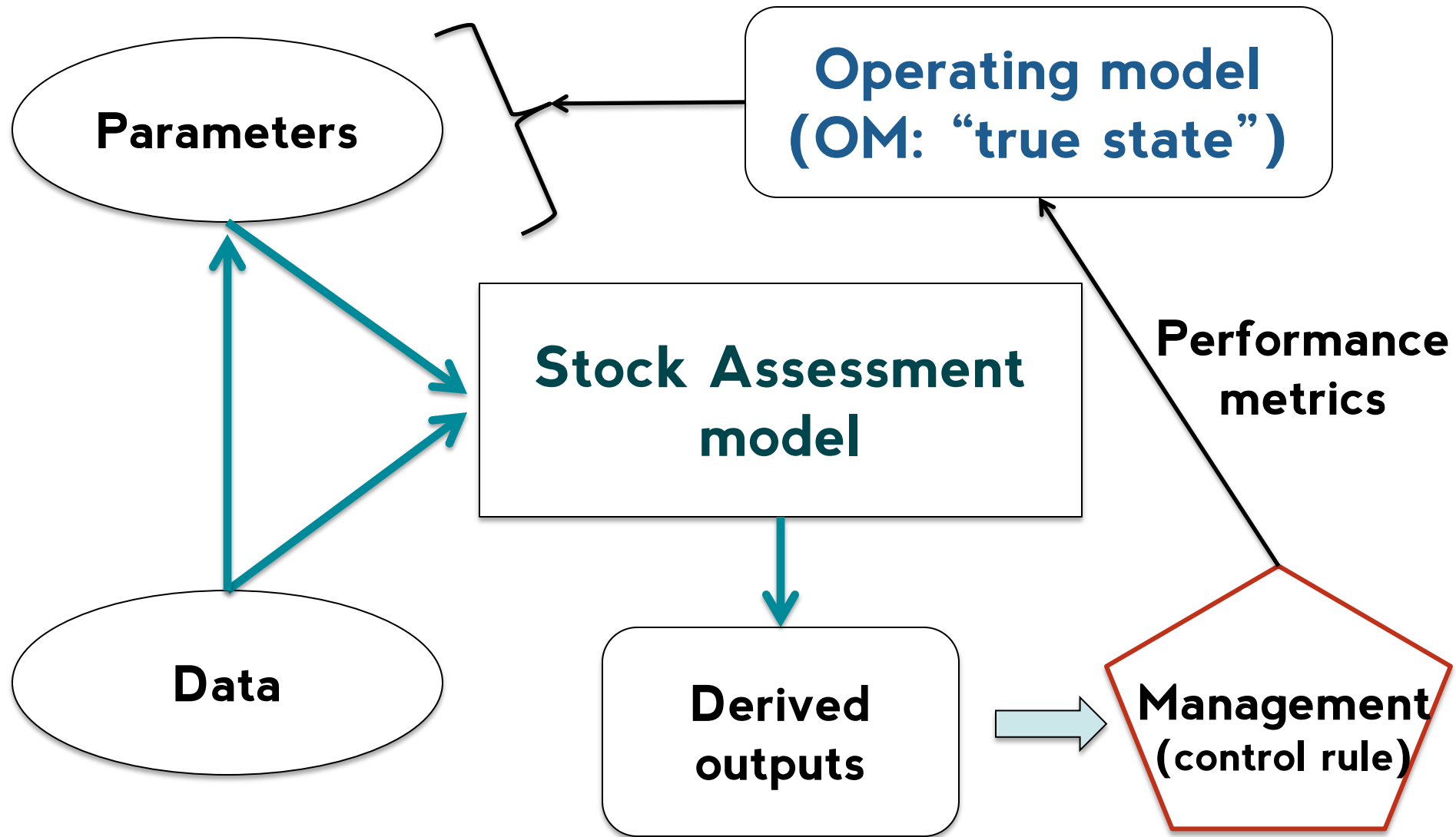
Wetzel & Punt 2011



Cope et al. in press

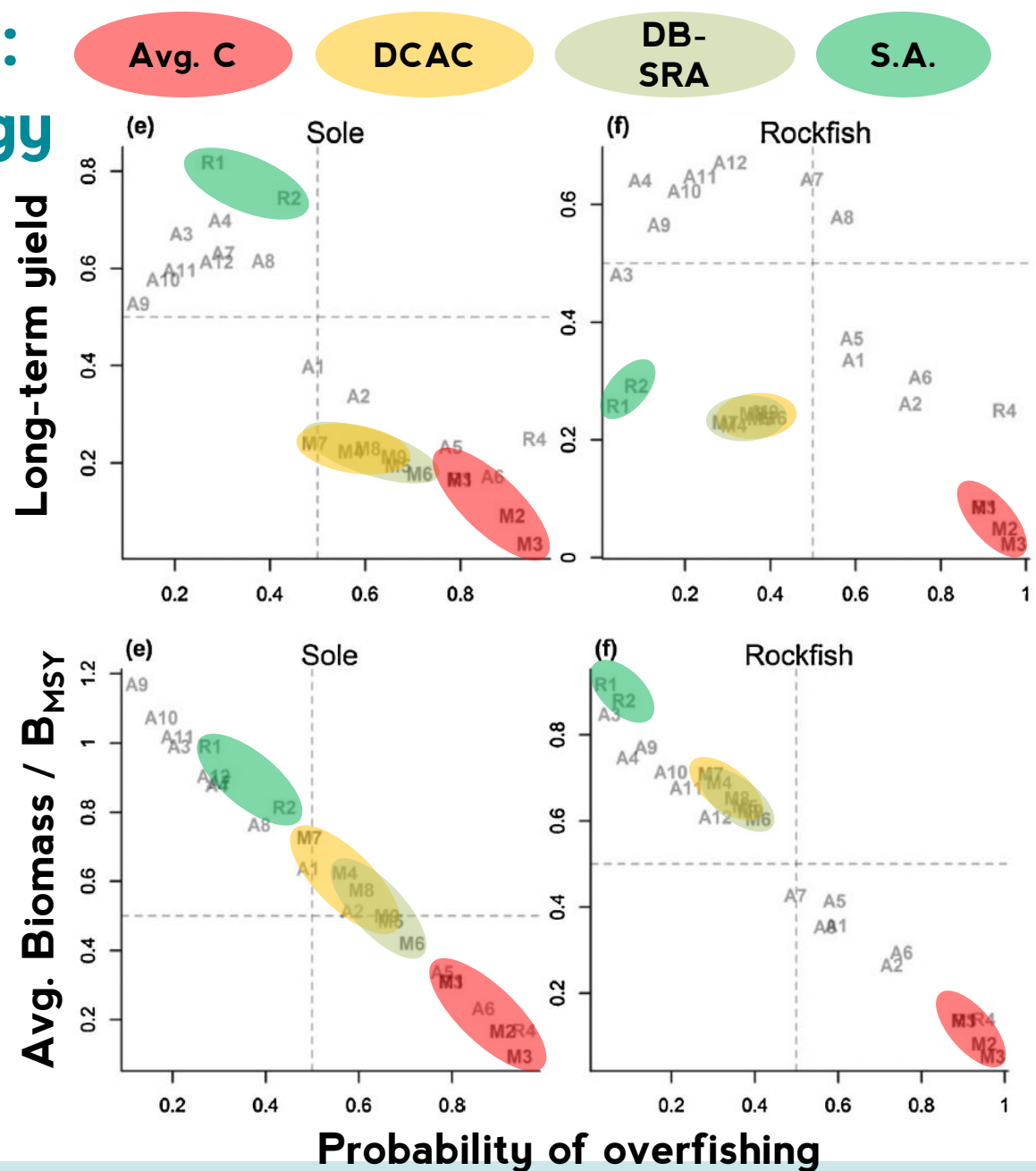
- Performance relative to OM or benchmark assessment
- Focuses on method performance

# Evaluation: Management strategy evaluation



# Testing methods: Management strategy evaluation

- Performance relative to OM
- Focuses on method **AND** control rule performance

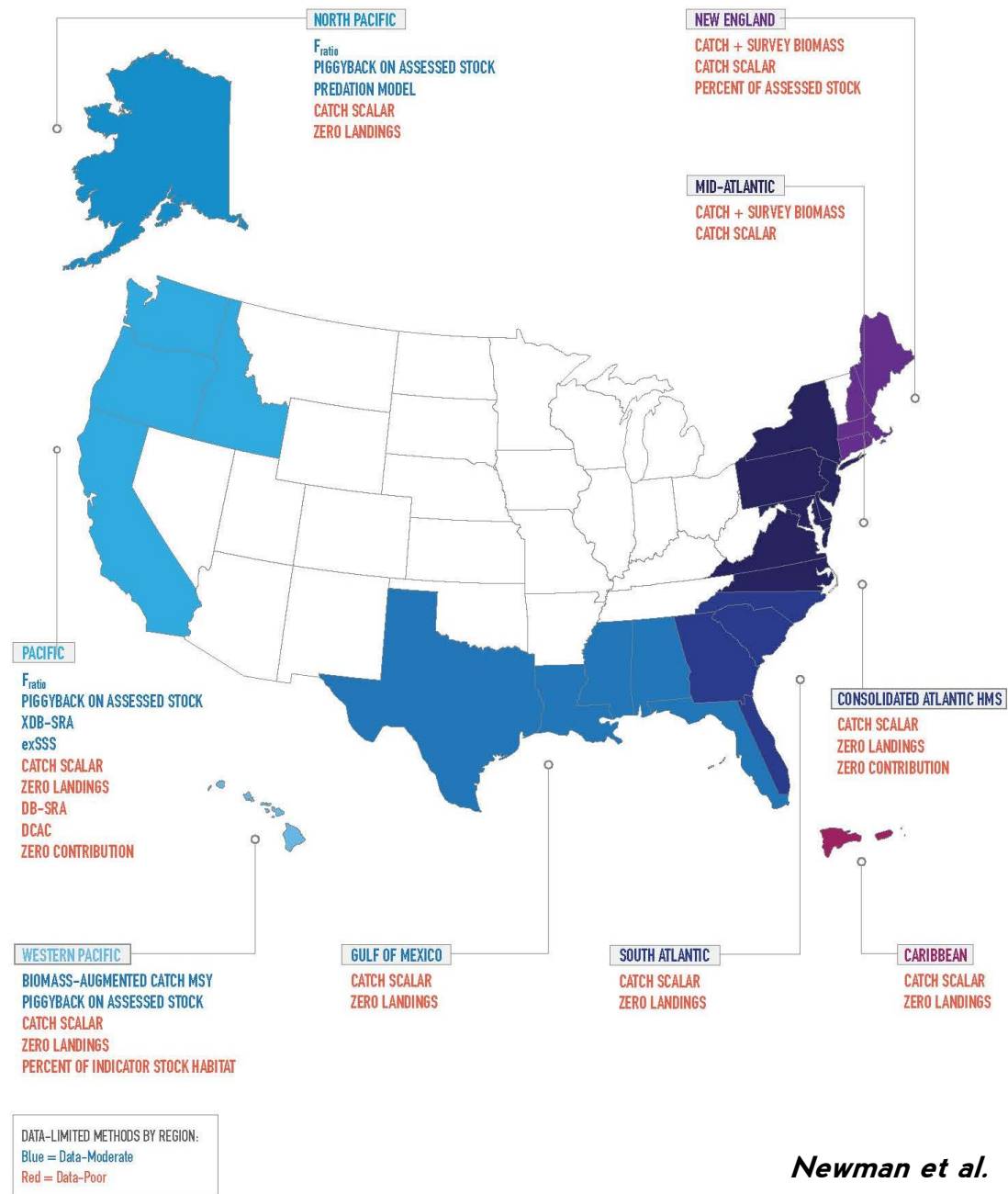


# Implementation

- **DLMtool (R; T. Carruthers) toolkit**
  - <http://cran.r-project.org/web/packages/DLMtool/index.html>
  - Choose models given data
  - MSE mode
- **Science for Nature and People (SNAP)**
  - **D-L group** <http://www.snap.is/groups/data-limited-fisheries/>
  - Application-based
  - Resource evaluation
- Using multiple models
- Not everyone is an innovator



# Standardization?



*Newman et al. 2014*



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# Why don't we have standardization?

- **Regional Councils have a history of doing things their own way.**
- **The data, stocks, and fisheries are unique by region.**
- **We're still in the innovation stage.**

# Summary/Considerations: the dids, dos, don'ts, and developments

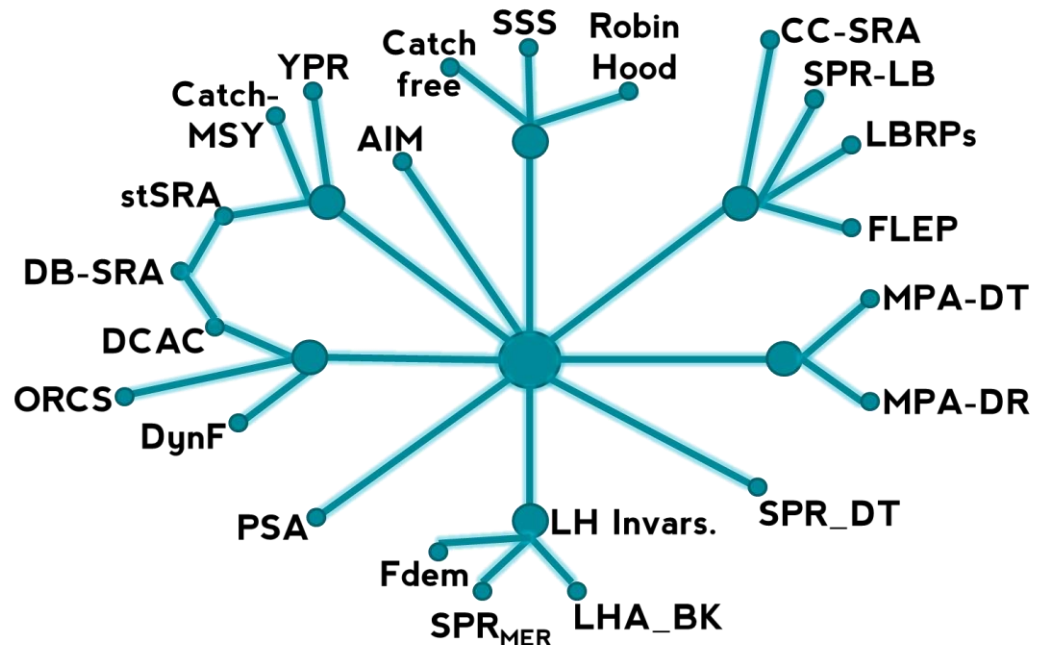
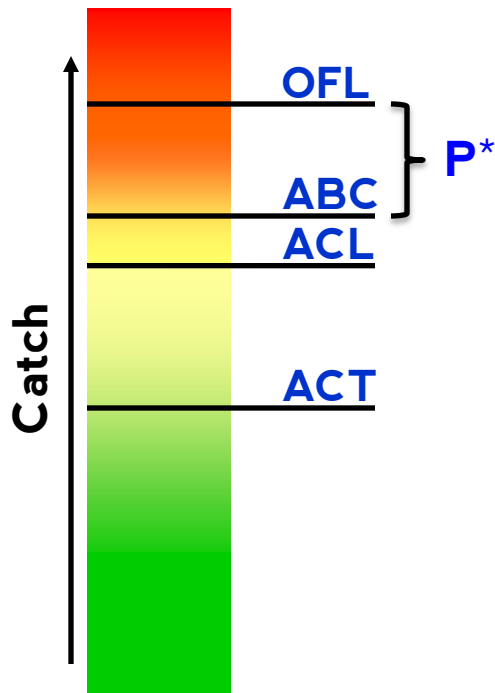


# Summary - Context

- **Era of rigid mandates**
- **Era of limited resources**

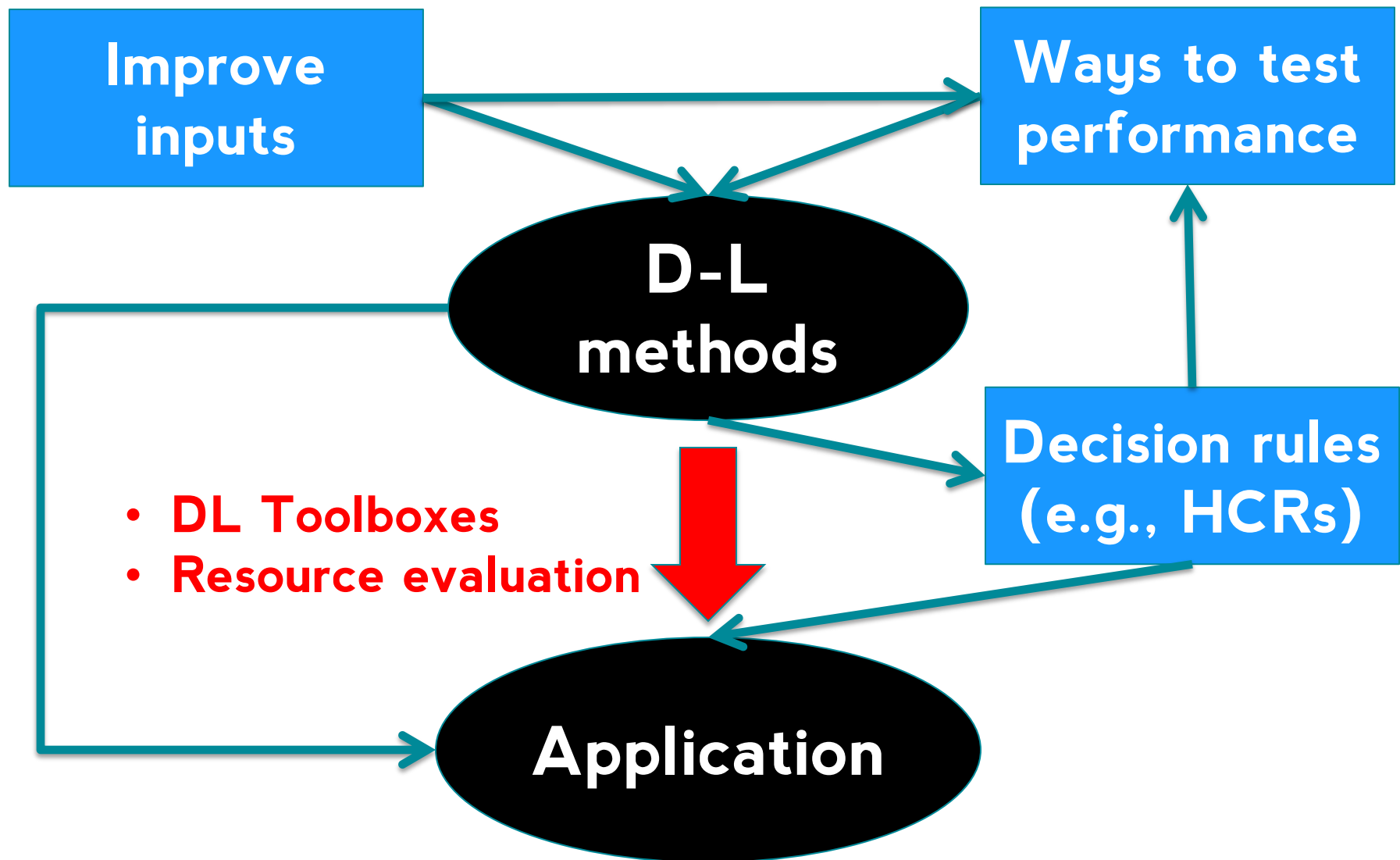
# What did we do?

- Created a lot of acronyms



- Held a lot of workshops

# Summary: Developments



# Suggestion

- **Do's**
  - **Consider multiple methods**
  - **Be creative/continue innovation**
  - **Simulation/MSE testing**
  - **Compare to benchmark assessments**
  - **Seek best practices**
  - **Common framework approach**
- **Don'ts**
  - **Avoid “Shotgun” approach**
  - **Pseudo-replication**
  - **Beware stock complexes**

# End with two questions

- **Will the need to conduct stock assessments on data-limited stocks go away?**
- **For the students attending: Are you spending 59% of your time in relevant courses learning about these methods?**

# Questions

